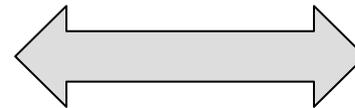
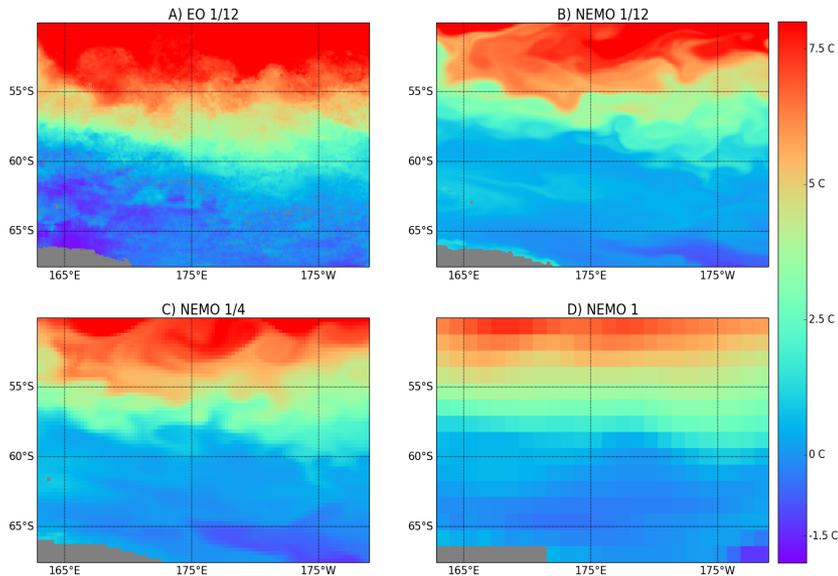


## Listen to the ocean



**Objectively determining oceanographic model resolution necessary to capture SST variability in the Southern Ocean**

Jozef Skakala, T. Smyth, R. Torres (PML), P. Hyder (UKMO) and A. Coward (NOC)

# Background

**Observation:** Scaling analysis often shows striking similarity of structures across large range of scales.



↔  
 $10^1$  cm



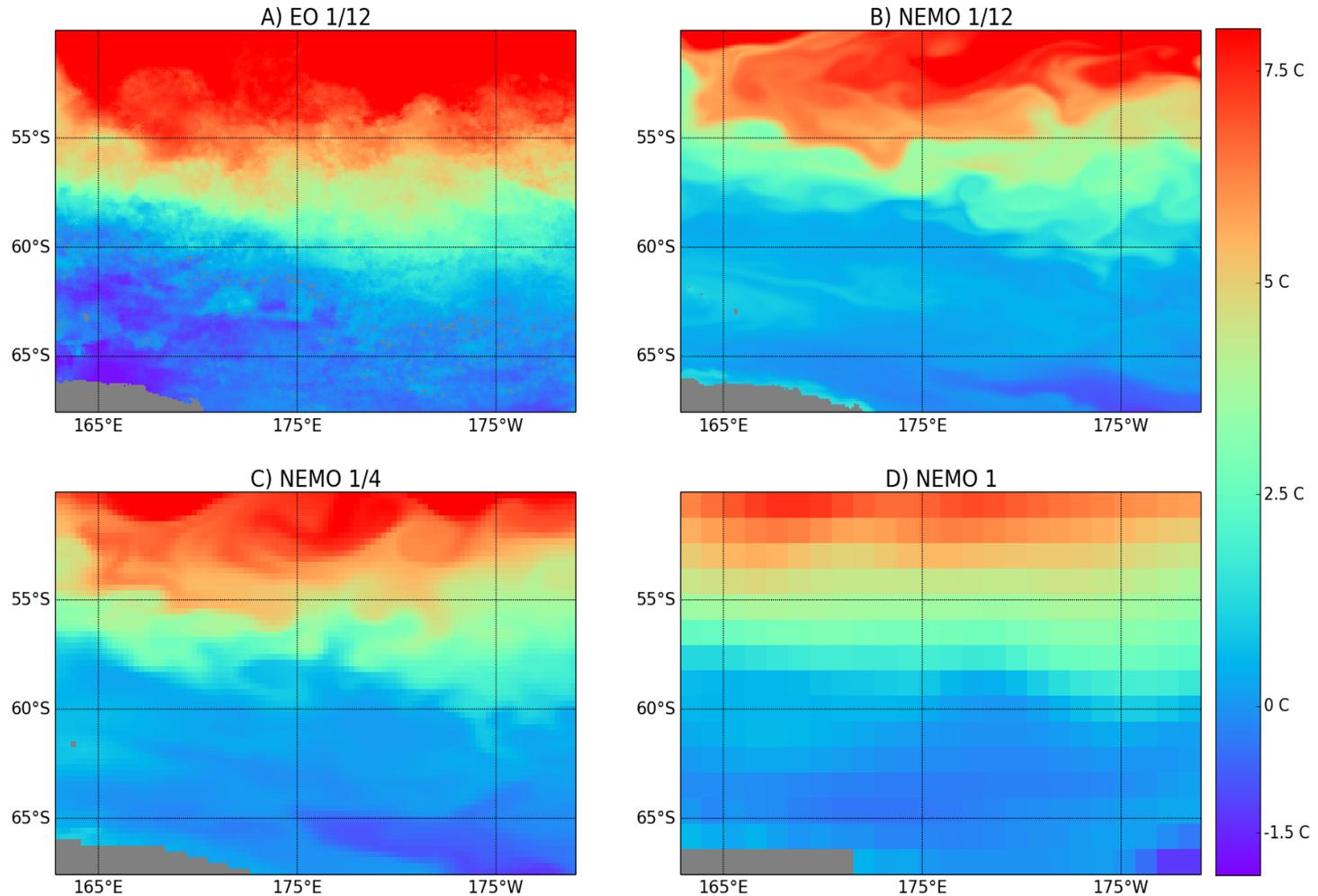
↔  
 $10^8$  cm



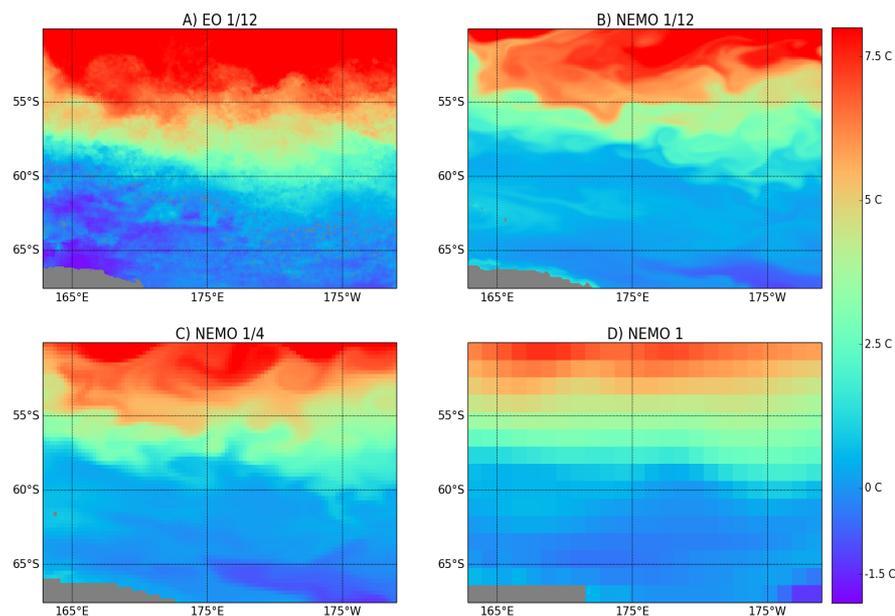
↔  
 $10^{22}$  cm

**Application:** scaling analysis, based on fractals, powerful and insightful tool for making scale (inter)comparisons.

- How well do different model (NEMO ORCA) resolutions (1, 1/4, 1/12°) reproduce EO SST (1/12°) variability in the Southern Ocean?



- *What are the scales variability of **model input** SST drivers in order to determine the **resolution** required to adequately represent SST dynamics?*
  - *wind stress components*
  - *incoming shortwave radiation*
  - *surface heat flux to the atmosphere*
  - *bathymetry.*



## Method

- Define SST variability at scale  $L$  as a horizontal spatial average (through spatial domain  $x$ ) of **absolute differences in SST** at the points separated by scale  $L$ :

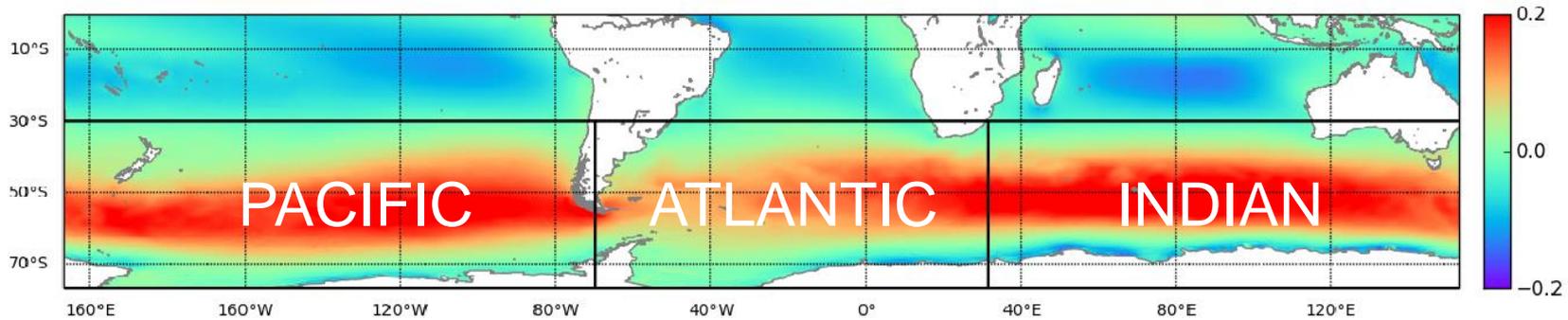
$$D_L = \langle |SST(x+L) - SST(x)| \rangle$$

- Scale invariance implies this **scales as a power law**:  $L^H$
- Observation: the SST fields analysed scale as piecewise power laws separated by a scaling break at  $L_0$

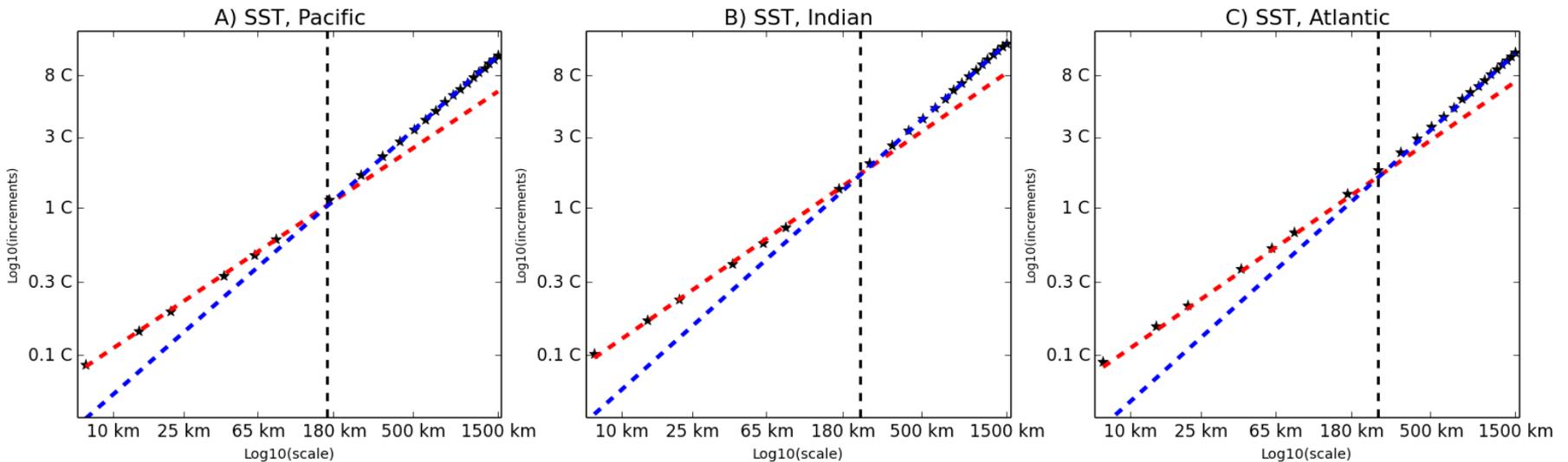
$$D_L = A \cdot \left( \frac{L}{L_0} \right)^{H_1}, \quad L < L_0$$

$$D_L = A \cdot \left( \frac{L}{L_0} \right)^{H_2}, \quad L > L_0$$

# Regions of interest

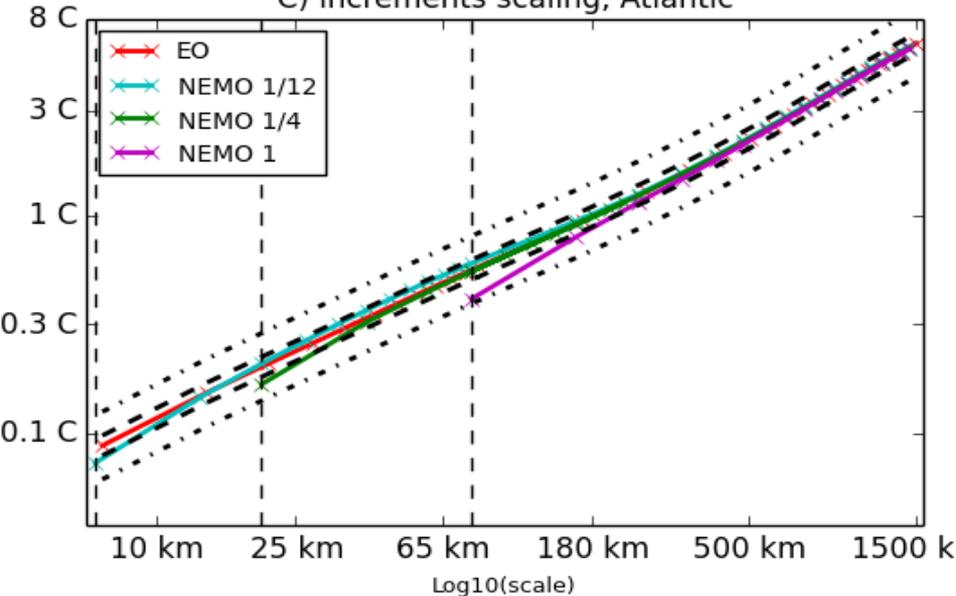


- EO SST magnitude of variability** (mean absolute differences in SST between points separated by a specific scale) scales between 7 – 100 km and 300 – 1500 km as two distinct power laws.

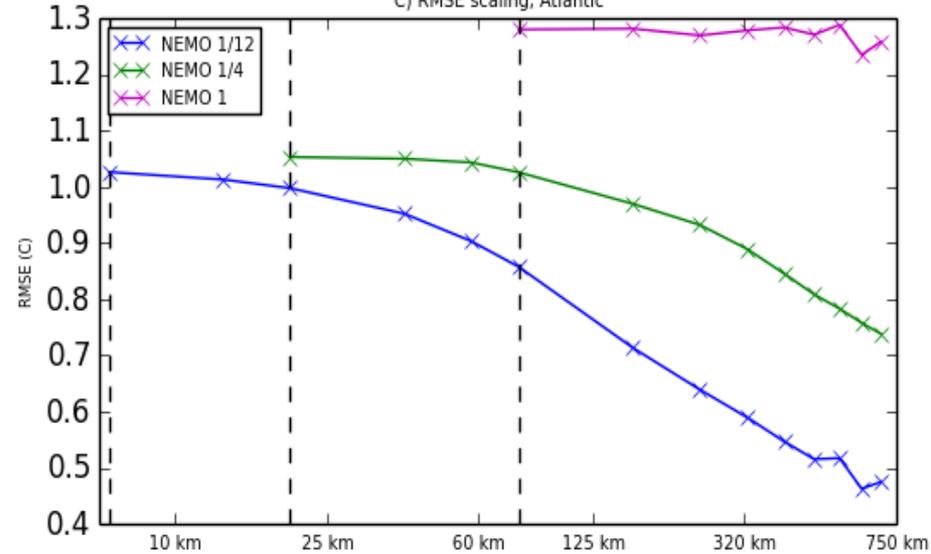


## Model skill – SST variability and its spatial patterns (RMSE)

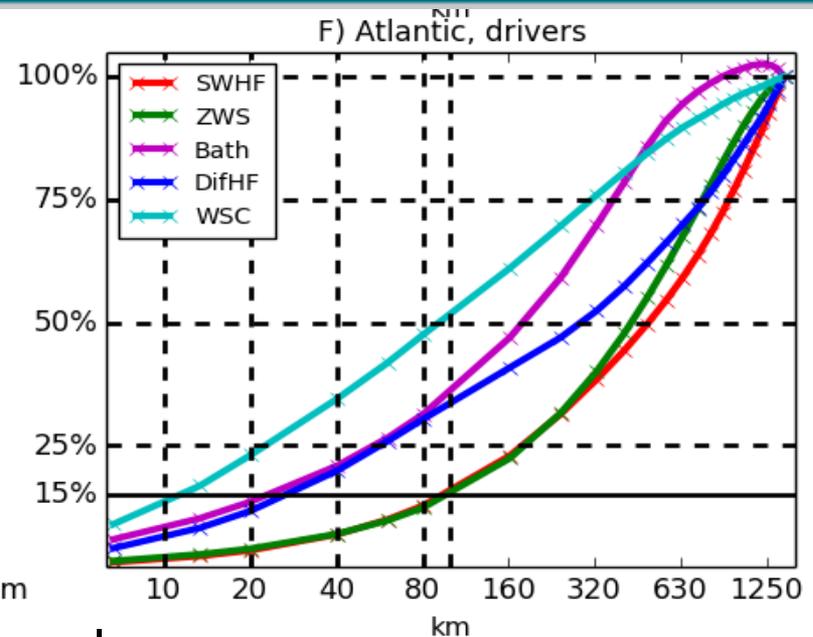
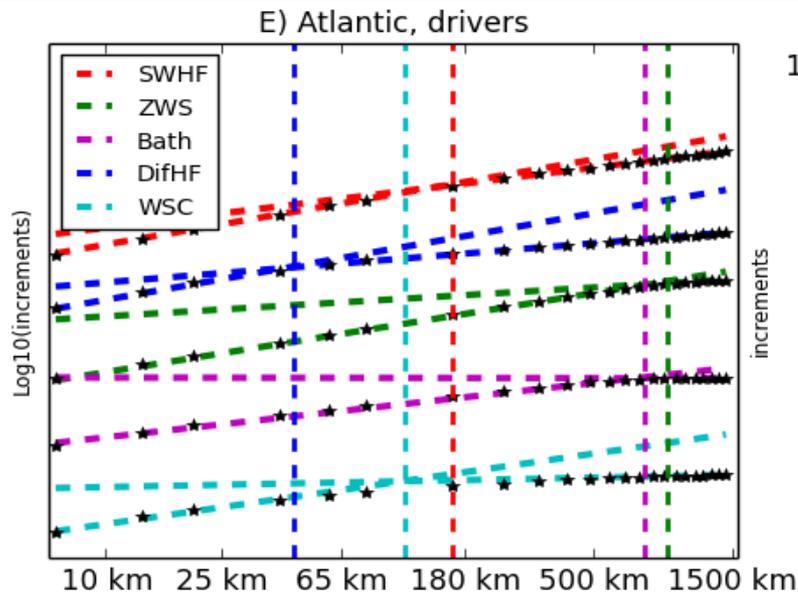
C) increments scaling, Atlantic



C) RMSE scaling, Atlantic

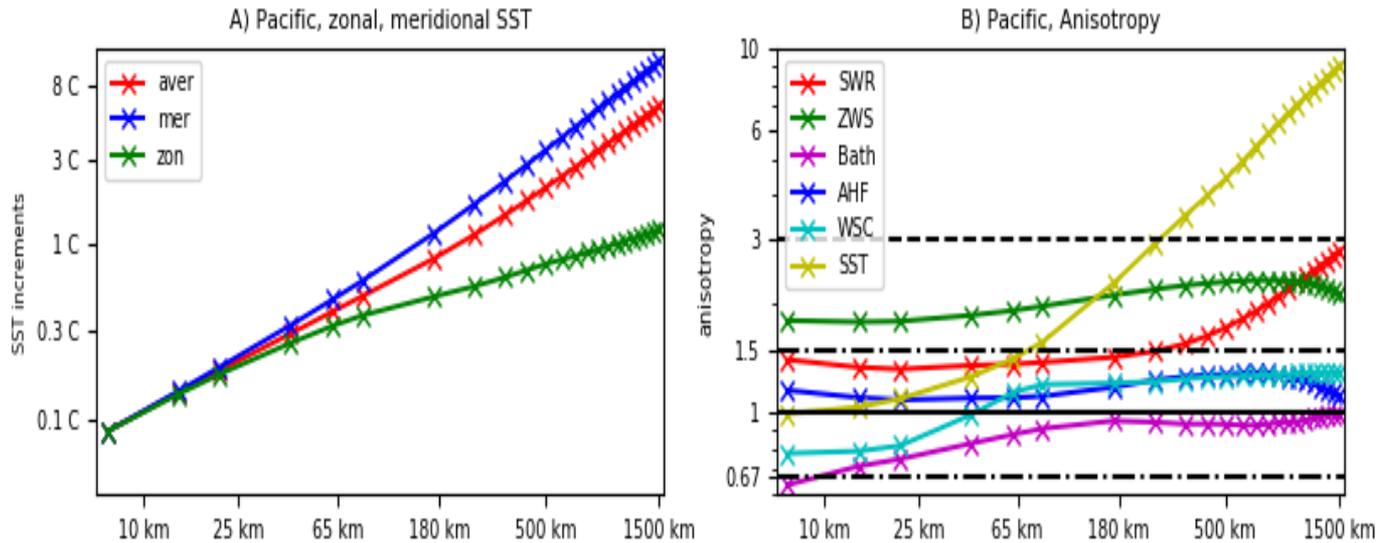


- Each model resolution matches the EO SST magnitude of variability within **10% from 4-5 times** the model resolution scale.
- **From approx 500 km** all model resolutions match the EO magnitude of variability within **3%**.
- Increasing model resolution has substantial impact how model represents spatial patterns of EO SST variability (RMSE) and this **impact grows with scale**.



- SST input drivers also scale as two power laws
- Split into three classes: scale **L** which resolves **85%** of their **1500 km variability**:
  - 1) large scale variability SST drivers **L = 80 – 100 km**
    - wind stress, short wave incoming radiation
  - 2) medium scale variability SST drivers **L = 20 – 40 km**
    - bathymetry, surface latent, sensible and longwave heat fluxes
  - 3) small scale variability SST drivers **L = 10 – 20 km**
    - wind stress curl
- Fractals can determine the scale resolving 85% of large scale turbulent eddy SST variability ( $L \sim 3\text{km}$ ).

# Anisotropy



- Two power law regimes associated with **SST horizontal anisotropy** (ratio of mean meridional to zonal increment).
  - SST is isotropic at scales  $< 50$  km, but its anisotropy dramatically changes with scale and the anisotropy **meridional-to-zonal increment ratio is at 1500 km 9:1**.
- The large scale SST variability (above 300 km scale) is dominantly driven by **anisotropic drivers**:
  - the **wind stress** and **incoming short wave radiation**.
- The small scale SST variability (below 100 km scale) is dominantly driven by **isotropic drivers**:
  - the **turbulence** and to some extent also by the **wind stress curl** and the **heat exchange** with the atmosphere.

## Conclusions

- Scaling techniques derived from fractal geometry can provide a powerful way to:
  - 1) *analyse the skill of different resolution models,*
  - 2) *determine the desirable resolution scale for the model input drivers,*
  - 3) *explain the scales of dominant effect of model input drivers on model dynamical fields.*



# Thank you

